of the various aromatic hydrocarbon donors, although $K_{\mathrm{c}}$ increases with donor strength as expected. A discussion of these results, including correlations of $K_{c}$ and of $\lambda$ and $\epsilon$ of the blue-shifted band with donor strength, is given elsewhere. ${ }^{23,27}$

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(27) J. D. Childs, S. D. Christian, and J. Grundnes, unpublished results.

# Modes of Rearrangement in Phosphoranes 

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#### Abstract

The types or modes of rearrangement that a trigonal bipyramid molecule can undergo are presented. The limited experimental evidence on phosphorane rearrangements, pertinent to distinguishing among these modes, is analyzed.


In 1950 Gutowsky and Hoffman ${ }^{1}$ observed the ${ }^{19} \mathrm{~F}$ nmr spectrum of $\mathrm{PF}_{3}$ to be a doublet which implied ${ }^{2}$ an intramolecular rearrangement equilibrating the equatorial and axial sites of the trigonal bipyramid (TBP) determined by electron diffraction. It has been generally accepted ${ }^{3}$ that the rearrangement observed in $\mathrm{PF}_{5}$ and in other phosphoranes takes place via the pseudorotation mechanism proposed by Berry in $1960 .{ }^{4}$ There has, however, been no presentation of the simple problem in combinatorics which provides a description of all the experimentally distinguishable kinds of rearrangement or "modes of rearrangement" that a TBP molecule can undergo, without which a meaningful analysis of the experimental data cannot be made.

The question of mode of rearrangement is an unfamiliar one since in organic chemistry all rearrangements about an atom involve only one observable consequence: racemization among the two distinguishable isomers as in amines, sulfoxides, phosphine oxides, and substituted methanes. The TBP geometry of phosphoranes with its two axial and three equatorial sites for ligands is such that there are five different modes of rearrangement or types of possible stereochemical change, and these are discussed here along with the limited experimental evidence which might serve to distinguish among them. These modes describe all the basic stereochemical modifications of a TBP so that every TBP rearrangement can be classified according to which one or more of these modes is attained by the rearrangement mechanism involved. The arguments presented here could equally well be applied to rearrangements in all other TBP molecules.

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## Theory and Discussion

We consider the number of ways that the labeled ligands of a phosphorane 1 can be rearranged among

themselves while preserving the explicit location on the TBP of three, two, one, and none of the ligands, respectively. At the same time we must group together all permutations among the indices or apparent rearrangements which give indistinguishable TBP's differing only by one of the six operations of the point group $C_{3}$.

If a and e symbolize the axial and equatorial ligands, respectively, the different pairwise or two-ligand rearrangements can be denoted as the symbolic permutations, ae, aa, and ee, the three-ligand rearrangements as aae, aee, and eee, the four-ligand rearrangements as aaxee, aexee, and aexae, which are concerted pairs of pairwise rearrangements, and eeea, eeaa, and eaea, and the five-ligand rearrangements as aaxeee, aexaee, eexaae, aaeee, and aeaee. The ordering of the letters is in the permutational sense so that, for example, eaea means that an equatorial ligand goes to an axial site, that axial ligand goes to the next equatorial site, that equatorial ligand goes to the next axial site, and that axial ligand goes to the original equatorial site. The operations of the point group are such that each stereoisomer can be obtained by more than one of the permutation operations, so that there are only six distinct types of rearrangements which we call "modes" and specify as

$$
\begin{aligned}
& \mathrm{M}_{0}(1)=\mathrm{I}, \text { eee, }{ }^{2} \text { aaxee }^{3} \\
& \mathrm{M}_{1}(3)=\text { eaea }^{2}(\mathrm{BPR}), \text { aexaee }{ }^{4}(\mathrm{TR}) \\
& \mathrm{M}_{2}(6)=\mathrm{ae}, \text { eeea, }{ }^{2} \text { eeaa, }{ }^{2} \text { eexaae (TR') } \\
& \mathrm{M}_{3}(1)=\mathrm{aa}, \text { ee }^{3}{ }^{3} \text { aaxeee }^{2} \\
& M_{4}(6)=\text { aee }^{2}\left(R_{3}\right) \text {, aae }\left(R_{3}{ }^{\prime}\right) \text {, aexee, aaeee }{ }^{2} \\
& \mathrm{M}_{\mathrm{s}}(3)=\mathrm{aexae}^{2}(\mathrm{DPR}), \text { aeaee }^{4}
\end{aligned}
$$

where the trivial identity $\mathrm{M}_{0}$ is included for completeness and I is the identity operator itself. All of the modes except for $M_{0}$ and $M_{3}$ give more than one distinct isomer; the number they actually give is shown in parentheses and the sum of all of these is 20 , the number of distinguishable isomers. For example, there are six different ways of taking an ae permutation all of which give distinct isomers, and hence six isomers can be obtained from $\mathrm{M}_{2}$. In an arbitrary molecule there is clearly no reason for any two such distinct rearrangements in $\mathrm{M}_{2}$ to have the same energetics. Some rearrangements will not even be allowed as they would lead to unstable "products."

The sixfold degeneracy of the $C_{3 v}$ symmetry is actually useful in that it permits each mode to be visualized in more than one way thus providing more than one simple picture for the possible mechanism involved. For example, a rearrangement in $\mathrm{M}_{1}$ can be visualized as either an eaea process taking 1 into 2 via the permutation

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(2534) from which the Berry pseudorotation (BPR) mechanism ${ }^{4}$ is derived (allowing for the appropriate wobble (pseudorotation) of the four ligands as they are rotated about the axis of ligand 1), and also as an aexaee process taking 1 into 3 via the permutation (25) (134) from which the Ugi-Ramirez ${ }^{5}$ turnstile (TR) mechanism is derived. The other four permutations which give the rotationally equivalent isomers are easily seen to be the BPR (2435), the rotation about the ligand 1 axis in the opposite direction, and the TR's (35)(124), (24)(135), and (34)(125) thus giving the superscripts in the notation eaea ${ }^{2}$ and aexaee ${ }^{4}$.

Other pictorial descriptions which can be given simple names are the turnstile (TR') of $\mathrm{M}_{2}$ and the threefold rotations $R_{3}$ and $R_{3}{ }^{\prime}$ of $M_{4}$. The aexae process of $\mathrm{M}_{5}$ can be looked upon as a concerted disrotatory pseudorotation (DPR) with, for example, (25)(34) taking 1 into 4 the mirror image of 2 , where the latter is considered to be obtained from a conrotatory four-ligand pseudorotation. It is important to remember, however, that the pictorial description is arbitrary as it is based on assuming the rearranged TBP to have precisely the same spatial orientation as the original TBP. Thus the pictorialization of the actual mechanisms can be misleading as in the example of the DPR just cited which appears to be a very high-energy process, yet it is stereochemically equivalent to the five-ligand permutation (12534) giving 5 which mechanistically


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seems much more reasonable, as well as to the other permutations (13425), (12435), (13524), and (24)(35). In any physical rearrangement there is no constraint on rotation of the system as a whole and hence the
(5) I. Ugi, D. Marquarding, H. Klusacek, P. Gillespie, and F. Ramirez, Accounts Chem. Res., 4, 288 (1971).
apparent high energy of the aexae picture is merely an artifact at the present pictorial level and would only be of meaning were it taken as a model for an actual mechanism.

Experiment can distinguish among the various rearrangement modes only if it explicitly involves a onestep process or if there are an unusual set of constraints. This is because single-step rearrangements of most of the modes are equivalent to multi-step rearrangements of others as can be seen from the multiplication table of the permutations. Thus, for example, the racemization ${ }^{6,7} \mathbf{6} \rightleftarrows 7$ which is a one-step $R_{3}$ process of $M_{4}$ can take place via two $\mathrm{BPR}=\mathrm{TS}$ rearrangements of $\mathrm{M}_{1}$, via two DPR rearrangements of $\mathrm{M}_{5}$, via one ae rearrangement of $\mathrm{M}_{2}$ followed by an ee rearrangement of $\mathrm{M}_{3}$, etc. Before a potentially multi-step rearrangement can be used to distinguish among possible modes, evidence must be presented to rule out all the other various combinations among competing modes.


The only experiments in the literature that can analyze one-step rearrangements are the nmr line-shape studies of Whitesides and Mitchell ${ }^{8 \mathrm{a}}$ on $\left(\mathrm{CH}_{3}\right)_{2} \mathrm{NPF}_{4}$ and Whitesides and Bunting ${ }^{\text {sb }}$ on the bis(bitolyl) compound 8. The first of these showed the two axial

fluorines to exchange with the two equatorial fluorines in a concerted manner but was not able to distinguish between the conrotatory rearrangement of the pairs as in $\mathrm{M}_{1}$ and the disrotatory rearrangement as in $\mathrm{M}_{5}$. The rearrangement, therefore, takes place via either one or both of the two modes. Also, it is, in principle, possible that a fast $\mathrm{M}_{3}$ aa $=$ ee process, which cannot be detected experimentally in this molecule, could be taking place at low temperatures. Were such a process occurring, the interpretation of the nmr data would have to be modified. Notice that even the limited infor-
(6) F. Ramirez, C. P. Smith, and J. F. Pilot, J. Amer. Chem. Soc., 90, 6726 (1968).
(7) D. Gorenstein and F. H. Westheimer, Proc. Nat. Acad. Sci. U. S., 58, 1747 (1969).
(8) (a) G. M. Whitesides and H. G. Mitchell, J. Amer. Chem. Soc., 91, 5384 (1969); (b) G. M. Whitesides and W. M. Bunting, ibid., 89, 6801 (1967).
mation obtained from this experiment is only accessible by virtue of the fact that the $\left(\mathrm{CH}_{3}\right)_{3} \mathrm{~N}$ group remains equatorial at the temperatures involved.

The second experiment ${ }^{8 b}$ showed that in the rearrangement $8 \rightleftarrows 9$ the isopropyl methyl groups equilibrate at the same rate as the bitolyl methyls. The relative rates for exchange of the two kinds of methyl groups in each of the modes can be worked out under the assumption that the five-membered ring cannot be diequatorial, which is a reasonable generalization from the observed optical activity ${ }^{9}$ of the asymmetrically substituted compound but which is not universally valid. The ratio $k_{\text {isopropyl }} / k_{\text {toly1 }}=1,0, \infty, 2$, and 0 for modes $\mathbf{M}_{1}-\mathbf{M}_{5}$, respectively, and since it is argued that the experiment gives this ratio to better than a factor of 2, the experiment can be interpreted to prove that the mode involved is $\mathrm{M}_{1}=\mathrm{BPR}=\mathrm{TR}$. This interpretation would also be consistent with the inability ${ }^{10}$ to obtain an optically active diastereomer of the unsubstituted derivative of 8 from the optically active "ate" complex where the racemization could not take place via a $\mathbf{M}_{1}$ process. In this experiment, however, it is in principle possible that the rearrangement could be nonstereospecific since if all modes were equally probable the same $k_{\text {isopropy1 }} / k_{\text {tolyl }}$ ratio of one obtains. Notice that such a rearrangement which scrambles isomers was ruled out in the experiment on the noncyclic fluorophosphorane.

Were it reasonable to suppose that all rearrangements in phosphoranes take place via a unique mode, independent of substituents, these two experiments taken together would prove that the mode involved is indeed the $\mathrm{M}_{1}=\mathrm{BPR}=\mathrm{TR}$ as is generally believed. This conclusion, however hopeful, seems nevertheless to be unnecessarily premature.

It is difficult to design even a single experiment which can determine the mode uniquely by combining the chirality of 8 with the spin coupling of $\left(\mathrm{CH}_{3}\right)_{2} \mathrm{NPF}_{4}$. If 8 were heavily ${ }^{13} \mathrm{C}$ enriched at the 2 and $2^{\prime}$ positions of the bitolyl group it would be a suitable molecule for such an experiment.

Complementary evidence could also be obtained from the various experiments of Westheimer, ${ }^{11}$ Ramirez, ${ }^{12}$ Mislow, ${ }^{13}$ and others. This will, however, require a development of the multiplication tables for the different modes (including rearrangements which take place via more than one mode) some of which has already been worked out by Muetterties ${ }^{14}$ and Gielen. ${ }^{15}$
(9) D. Hellwinkel, Chimia, 22, 488 (1966).
(10) D. Hellwinkel, Chem. Ber., 99, 3628, 3642 (1966).
(11) F. H. Westheimer, Accounts Chem. Res., 1, 70 (1968).
(12) F. Ramirez, ibid., 1, 168 (1968).
(13) K. Mislow, ibid., 3, 321 (1970).
(14) E. L. Muetterties, J. Amer. Chem. Soc., 91, 1636, 4115 (1969). Muetterties has worked out the cycle structure for mechanisms with the same stereochemistry as modes $\mathrm{M}_{1}$ through $\mathrm{M}_{4}$ although he has not considered a mechanism with the stereochemistry of mode $\mathbf{M}_{5}$. The numbering of modes $\mathbf{M}_{1}-\mathbf{M}_{4}$ in the present article has been chosen to coincide with Muetterties' numbering of mechanisms. His mechanism 6 has the same stereochemical consequence as his mechanism 4 (our mode $\mathbf{M}_{4}$ ) while his mechanism 5 which goes through a $D_{5 h}$ intermediate is presumably a total scrambler of stereoisomers; i.e., it produces all modes with equal probability. The Ugi-Ramirez ${ }^{6}$ numbering of mechanisms corresponds to the present numbering of modes as follows: $\mathrm{UR}_{1}=\mathrm{M}_{3}, \mathrm{UR}_{2}=\mathrm{M}_{2}, \mathrm{UR}_{3}=\mathrm{UR}_{4}=\mathrm{M}_{4}$, and $\mathrm{UR}_{6}=\mathrm{UR}_{7}=\mathrm{M}_{1}$. Notice that Ugi and Ramirez have actually given the correct stereochemical consequence of $\mathrm{M}_{5}$ in their mechanism $\mathrm{UR}_{5}$ (as drawn in their Chart I) although their intermediate is the same nonstereospecific $D_{5 h}$ structure of Muetterties.
(15) M. Gielen, "Chemical Applications of the Graph Theory," A. T. Balaban, Ed., Academic Press, New York, N. Y., 1972.

The topological representations of Balaban, ${ }^{18}$ Lauterbur and Ramirez, ${ }^{17}$ Dunitz and Prelog, ${ }^{18}$ Mislow, ${ }^{13}$ Gielen, de Clercq, and Nasielski, ${ }^{19}$ and Cram, Gorenstein, and Westheimer ${ }^{20}$ would then have to be generalized to cover all the modes. It appears, however, that each multi-step experiment will be consistent with such a variety of possibilities that unambiguous evidence will be difficult to obtain; and when the set of geometrical constraints is so great as to sharply delimit the possibilities (as in the $8 \rightleftarrows 9$ racemization), these very constraints themselves might serve to favor a different mode of rearrangement over that which is favored in nonconstrained systems.

## Conclusions

The purpose of these remarks has been to present the possible stereochemical consequences of intramolecular rearrangements in TBP phosphoranes and to group these rearrangements into modes. Implicit throughout has been the distinction between the mode of a rearrangement and the mechanism of a rearrangement, a distinction which has not been recognized previously thus leading to some confusion in the literature. ${ }^{21}$ The rearrangement is observable experimentally, and therefore the mode (or modes) of the rearrangement that describes the different combinatorial possibilities for isomerization are, in principle, also observable, while information concerning the mechanism is usually only inferential in that one can attribute the ease or difficulty of a certain isomerization to the relative energy of the reaction path in the hypothesized mechanism. If one is actually interested in the mechanism, the favored reaction path for each of the modes or for each rearrangement within each mode can, in principle, be determined by careful search procedures in large basis-set nonempirical quantum mechanical calculations. I am not, however, convinced that these paths will be easily enough visualized in order to generate feasible computer searches on the complex potential surfaces or to intuit the results without calculations. It is also not clear to me wherein the detailed mechanism makes much of a difference, particularly when the potential surfaces are relatively flat so that the mode, no less the mechanism, might well change with ligand, and when all the evidence is only inferential anyway. We are, however, in the process of generating a complete potential surface for $\mathrm{PF}_{5} .{ }^{23}$
(16) A. T. Balaban, D. Fǎrcasiu, and R. Bǎnicǎ, Rev. Roum. Chim., 11, 1205 (1966).
(17) P. C. Lauterbur and F. Ramirez, J. Amer. Chem. Soc., 90, 6722 (1968).
(18) J. D. Dunitz and V. Prelog, Angew. Chem., Int. Ed. Engl., 7, 725 (1968).
(19) M. Gielen, M. de Clerca, and J. Nasielski, J. Organometal. Chem., 18, 217 (1969).
(20) D. Gorenstein and F. H. Westheimer, J. Amer. Chem. Soc., 92, 634 (1971).
(21) The main result of this is that debate has been centered on deciding which mechanism is involved in the rearrangement before the mode has been determined experimentally and even before all the possible modes have been denumerated. Thus Whitesides and Mitchell, ${ }^{8}$ have referred to the BPR mechanism as the concerted rearrangement which takes two axial ligands into two equatorial ligands and vice versa without distinguishing between the two enantiomers which would result from the two modes $\mathrm{M}_{1}$ and $\mathrm{M}_{5}$. This has led several researchers to reach the incorrect conclusion that the Whitesides-Mitchell experiment has proven the stereochemistry required by the BPR. (See, for example, Ugi, et al., ${ }^{5}$ and Gielen. ${ }^{15}$ ) A similar ambiguity occurs in the numerous analyses of experiments on octahedral complexes as will be discussed elsewhere. ${ }^{22}$
(22) J. I. Musher, Inorg. Chem., in press. This paper also describes the trivial tetrahedral case which might be of some pedagogic value.

The present discussion has intentionally neglected a series of questions which I consider to be most important and not as yet answered satisfactorily. ${ }^{24}$ For example, is there any evidence that the TBP, even somewhat distorted, is the stable structure for all phosphoranes, is there any evidence that all intramolecular rearrangements in phosphoranes go via the same mechanism or even the same mode, and is there even any com-

[^1]pelling evidence that the intramolecular rearrangement observed in noncyclic phosphoranes is a unimolecular process, or could it actually take place via a dimer- or solvent-mediated mechanism?

If there is a lesson to be learned from this discussion it is that the chemistry of the nonmetals, essentially that of the hypervalent molecules, can be significantly more complex than organic chemistry due to the different types and greater number of ligands; and it is precisely this complexity which provides the interest in these molecules and should make one proceed with caution before drawing conclusions based on limited experimental evidence.

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# Metalloboranes. VII. ${ }^{1}$ Synthesis and Chemistry of $\pi$-Borallyl Complexes and the Crystal Structure of $\left[\left(\mathrm{CH}_{3}\right)_{2} \mathrm{PC}_{6} \mathrm{H}_{5}\right]_{2} \mathrm{PtB}_{3} \mathrm{H}_{7}$ 

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#### Abstract

A unique series of complexes containing the $\pi-\mathrm{B}_{3} \mathrm{H}_{7}{ }^{2}$ - ligand was prepared with nickel, palladium, and platinum. The general reactivity of these complexes decreases in the series $\mathrm{Ni}>\mathrm{Pd}>\mathrm{Pt}$. Through the facile displacement of the $\pi$-borallyl ligand by trialkylphosphines, the first successful synthesis of tetrakis(trialkylphosphine)platinum( 0 ) complexes was demonstrated. Nmr studies showed the $\pi$-borallyl complexes to be more stereochemically rigid than the $\sigma-\mathrm{B}_{3} \mathrm{H}_{8}{ }^{-}$metalloboranes. The crystal and molecular structure of $\left[\left(\mathrm{CH}_{3}\right)_{2} \mathrm{PC}_{6} \mathrm{H}_{5}\right]_{2} \mathrm{PtB}_{3} \mathrm{H}_{7}$ was determined from three-dimensional X-ray counter data. The crystal structure consists of the packing of discrete molecules with two phosphine ligands and a $\pi$-bonded $\mathrm{B}_{3} \mathrm{H}_{7}{ }^{2}$ - ligand coordinated to an essentially squareplanar platinum atom. The dihedral angle between the $\mathrm{B}_{3}$ plane and the platinum-phosphorus plane is 116.8 ( $24^{\circ}$ ). The Pt-P distances are 2.301 (4) and 2.311 (4) $\AA$. There is an orientational disorder in the $\mathrm{B}_{3} \mathrm{H}_{7}{ }^{2}$ - ligand which is asymmetrically bonded to platinum. The Pt-B distances are 2.38 (4) $\AA$ to a boron atom in the PPtP plane and 2.18 (4) and 2.13 (3) $\AA$ to the boron atoms whose midpoint is in this plane. The B-B distances are 1.86 (5) and 1.92 (4) $\AA$; the hydrogen atoms in the $\mathrm{B}_{3} \mathrm{H}_{7}{ }^{2}$ ligand were not located, but their positions are inferred. The $\mathrm{B}_{3} \mathrm{H}_{2}{ }^{2}-$ ligand is isoelectronic with the $\mathrm{C}_{3} \mathrm{H}_{5}^{-} \pi$-allyl ligand; the $\mathrm{Pt}-\mathrm{B}_{3} \mathrm{H}_{7}$ geometry is compared with the similar geometries found in transition metal $\pi$-allyl complexes. Crystals of $\left[\left(\mathrm{CH}_{3}\right)_{2} \mathrm{PC}_{6} \mathrm{H}_{3}\right]_{2} \mathrm{PHB}_{3} \mathrm{H}_{7}$ are monoclinic, space group $\mathrm{C} 2 / c$, with eight molecules per cell of dimensions $a=18.155$ (9), $b=13.665$ (7), $c=17.504$ (9) $\AA$, and $\beta=$ $107.25(6)^{\circ}$. The structure was refined by least squares to a conventional $R$ of 0.054 .


Transition metal complexes were prepared recently ${ }^{1}$ of the $\mathrm{B}_{3} \mathrm{H}_{7}{ }^{2-}$ ion which is the formal electronic analog of the familiar $\pi$-allyl ion. Complexes prepared were of the type $\left(\mathrm{R}_{3} \mathrm{P}_{\mathbf{8}} \mathrm{PtB}_{3} \mathrm{H}_{7}\right.$ where the phosphines are triethylphosphine, triphenylphosphine, ethyldiphenylphosphine, dimethylphenylphosphine, or tri-ptolylphosphine. We have now extended this chemistry to include complexes of palladium and nickel. The chemical and spectral evidence ${ }^{1}$ for $\left(\mathrm{R}_{3} \mathrm{P}\right)_{2} \mathrm{PtB}_{3} \mathrm{H}_{7}$ complexes was suggestive of a different bonding from that found in the $\mathrm{B}_{3} \mathrm{H}_{8}{ }^{-}$metal complexes. ${ }^{2-4}$ The BH pro-

[^2]ton $\mathrm{nmr}(220 \mathrm{MHz}$ ) resonances occur with a large spread in an apparent 2:1:2:2 distribution. The ESCA Pt $4 \mathrm{f}_{7 / 2}$ binding energy ${ }^{1}$ is typical of $\mathrm{Pt}(\mathrm{II})$ complexes. ${ }^{5}$ The $\mathrm{B}_{3} \mathrm{H}_{7}{ }^{2-}$ ligand also has a greater stereochemical rigidity than the $\mathrm{B}_{3} \mathrm{H}_{8}$ - ligand. ${ }^{1}$
We also report here the crystal and molecular structure of bis(dimethylphenylphosphine)platinum heptahydridotriborate( $2-$ ), $\left[\left(\mathrm{CH}_{3}\right)_{2} \mathrm{PC}_{6} \mathrm{H}_{5}\right]_{2} \mathrm{PtB}_{3} \mathrm{H}_{7}$. The question of possible structural correspondence with the isoelectronic $\pi$-allyl metal complexes was paramount in this structure investigation. Borane ligands that are electronically similar to organic ligands might be expected to have similar structural features, a notable example of this being the electronic and structural sim-
(5) W. M. Riggs, submitted for publication.


[^0]:    (1) H. S. Gutowsky and C. J. Hoffman, Phys. Rev., 80, 110 (1950); J. Chem. Phys., 19, 1259 (1951).
    (2) This interpretation, of course, rests on the assumption that this is not due to an accidental near magnetic equivalence of the TBP fluorine atoms.
    (3) See, for example, the review of R. Schmutzler, Angew. Chem., Int. Ed. Engl., 4, 496 (1965).
    (4) R.S. Berry, J. Chem. Phys., 32, 933 (1960).

[^1]:    (23) The dynamics of this problem have been almost invariably considered in terms of normal mode analyses (see, e.g., B. J. Dalton, J. Chem. Phys., 54, 4745 (1971)). This type of analysis, however, unduly favors the motions involved in small deviations from equilibrium and does not consider the much greater freedom usually permitted in organic reaction mechanisms. In this sense, the Ugi-Ramirez turnstile mechanism has provided a thought-provoking alternative to the generally accepted BPR mechanism. Many such alternatives ought to be considered if for no other reason than that it seems unreasonable to assume a priori that molecules as unlike as $\left(\mathrm{C}_{6} \mathrm{H}_{5}\right)_{5} \mathrm{P}, \mathrm{VF}_{5}$, and $\mathrm{Fe}(\mathrm{CO})_{5}$ will all undergo intramolecular rearrangements via the same mechanism.
    (24) J. I. Musher, "Conformational Analysis," G. Chiurdoglu, Ed., Academic Press, New York, New York, 1971, p 177.

[^2]:    (1) Paper VI: A. R. Kane and E. L. Muetterties, J. Amer. Chem. Soc., 93, 1041 (1971).
    (2) F. Klanberg, E. L. Muetterties, and L. J. Guggenberger, Inorg. Chem., 7, 2272 (1968).
    (3) L. J. Guggenberger, ibid., 9, 367 (1970).
    (4) S. J. Lippard and K. M. Melmed, ibid., 8, 2755 (1969).

